# LORETO COLLEGE Department of Mathematics

## TIME PLAN 2023-2024

Name of the teacher: Dr Satyabrota Kundu Initials : SK

#### **Teaching Objectives:**

- To impart comprehensive knowledge in theoretical and empirical perspectives on the core mathematical issues.
- To indoctrinate the fundamental mathematical tools required for empirical appraisal of various mathematical problems.
- To give exposure to analytical and logical matters subsumed in mathematical theories.

2 <sup>nd</sup>	Semester Topic-wise Time
	Plan

Topics	Hours allotted	Topics (as per curriculum)	Teaching method	Learning outcome (output)	Assessment
Basic Algebra: Group A	25	1. Complex Numbers 2. Theory of equations: Relation between roots and coefficients, transformation of equation, Descartes rule of signs, Application of Sturm's theorem, cubic equation (solution by Cardan's method) and biquadratic equation (solution by Ferrari's method). •Inequalities: The inequality involving $AM \ge GM$ $\ge HM$ , Cauchy- Schwartz inequality.	Class lecture and problem- solving sessions. Revisions and doubt clearing slots	Achieve a fervent understandi ng of basic algebra.	Class test and home assignments

Group B	25	1.	Relation: equivalence relation,	Class lecture and problem-	Gather theoretical insights of	Class test and home assignment
			equivalence classes & partition, partial order relation,	solving sessions. Revisions and doubt	the fundamenta l calculus.	S
		2.	poset, linear order relation.	clearing slots		
		3.	•Mapping: composition of mappings, relation between composition of mappings and			
		4.	various set theoretic operations. Meaning and properties of <i>f</i> -1 ( <i>B</i> ), for any mapping			
		5.	$f: X \to Y \text{ and } B \subseteq Y.$			
		6.	•Well-ordering property of positive integers, Principles of Mathematical induction,			
		7.	equivalence of Wellordering property and Principles of Mathematical induction			
		8.	(statement only), division algorithm, divisibility and Euclidean algorithm. Prime			
		9.	numbers and their properties, Euclid's theorem. Congruence relation between integers.			
			Fundamental Theorem of Arithmetic. Chinese remainder theorem. Arithmetic functions, some arithmetic			

		functions such as $\phi$ , $\tau$ , $\sigma$ and their properties.			
Group C	25	1. Systems of linear equations, homogeneous and non- homogeneous systems. Existence and Uniqueness of solution. The matrix equation Ax = b, row reduction and echelon forms, uniqueness of reduced echelon form. Rank of a matrix and characterization of invertible matrices, Pivot positions, basic	Class lecture and problem- solving sessions. Revisions and doubt clearing slots	Getting skilled in problem solving techniques	Class test and home assignment s

and free variables, parametric description of	
the solution set. Existence and uniqueness theorem.	
•Vectors in <i>R</i> ^{n} , algebraic and geometric properties of the vectors. Vector form of a	
linear system and the column picture. Existence of solutions and linear combination of	
vectors. Geometry of linear combination and subsets spanned by some vectors.	
Uniqueness of solution and linear independence of vectors. Algebraic and geometric	
characterizations of linearly independent subsets	

		Developing a strong aptitude in making basic aspects of Geometry.	Class test and home assignment s

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I.D.C. Theory: 50 and Tutorial : 25	75	<ol> <li>Profit, Loss and discount, Dividend, Calculation of income tax, Tabulations, Bar graphs, Pie charts, Line graphs.</li> <li>Introduction to Financial Markets and Instruments: Money Market and Capital Market, Financial Instruments – Stock,</li> </ol>	Class lecture and problem- solving sessions. Revisions and doubt clearing slots	Achieve a fervent understandi ng of basic integral calculus.	Class test and home assignment S

# 2<sup>nd</sup> Semester I.D.C. Topic-wise Time Plan

Bonds,	
Derivatives;	
Concept of	
Value	
(intrinsic) vs.	
Price of	
Financial	
Instruments,	
Concept of	
Arbitrage.	
Time Value	
of Money:	
Interest	
(simple and	
compound,	
discrete and	
continuous),	
Annuities,	
net present	
value,	
internal rate	
of return	
(calculation	
by bisection and	
Newton-Raphson	
methods),	
Comparison of NPV	
and IRR.	
Bonds:	
Bond	
Valuation;	
Bond Prices	
and Yields;	
Duration,	
Convexity,	
Interest Rate	
Risk; Fixed	
vs. Floating	
Rate Bonds,	
Immunizatio	
n.	
Portfolio	
Theory: Brief	
introduction	
to	
expectation,	
variance,	
covariance	
and	

correlation;	
Asset Return	
and Risk;	
Portfolio Risk	
(Variance)	
and Return–	
Historical	
and Ex-Ante;	
Diversificatio	
n and Risk	
Reduction;	
Feasible and	
Optimal	
Portfolio –	
Efficient	
Frontier;	
Markowitz	
model	
(review of	
Lagrange	
multipliers for 1	
and 2 constrain	
	Asset Return and Risk; Portfolio Risk (Variance) and Return– Historical and Ex-Ante; Diversificatio n and Risk Reduction; Feasible and Optimal Portfolio – Efficient Frontier; Markowitz model (review of Lagrange multipliers for 1